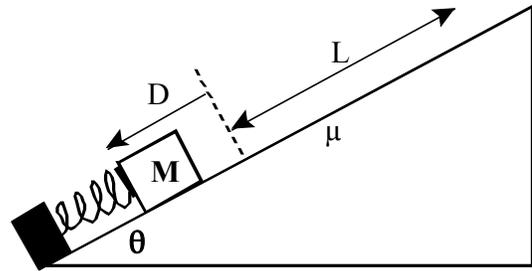
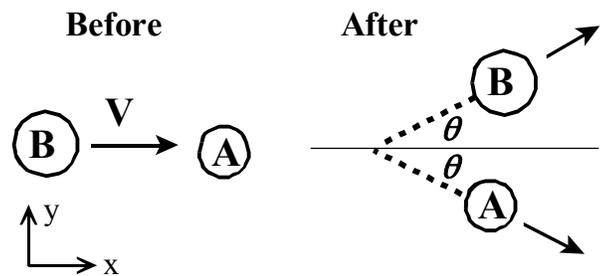


1. A box of mass  $M$  is on a rough incline that makes an angle  $\theta$  with the horizontal. The coefficient of kinetic friction between the box and the incline is  $\mu$ . The box is placed against a spring whose other end is secured to a wall at the lower end of the incline. The block is used to compress the spring a distance  $D$  and is then released from rest.



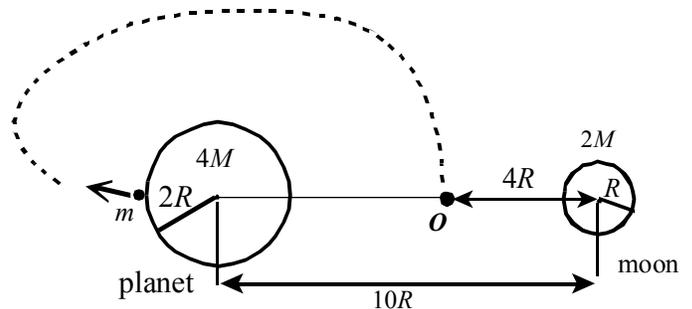
Derive an expression for the minimum spring constant  $k$  necessary to ensure that the box reaches a distance  $L$  up the incline **from the equilibrium position of the spring**. (Treat the box as a point mass.)

2. Object **A** of mass  $M$  is initially at rest on a flat, smooth frictionless surface. Object **B**, which has **twice** the mass of **A**, is traveling with speed  $V$  before it collides **elastically** with **A**. Immediately after the collision, both objects move off at angles  $\theta > 0$  with respect to the original direction of **B**.



Calculate the value of the angle  $\theta$ . [Hint: Note that the collision is **elastic**.]

3. Scientists on a planet of mass  $4M$  and radius  $2R$  launch a satellite. Their moon has mass  $2M$ , radius  $R$ , and its center is a distance of  $10R$  from the center of the planet. The satellite of mass  $m$  is shot out of a cannon from the side of the planet facing away from the moon. It follows the dashed path to point **O** which is on the line connecting the centers of planet and moon, a distance  $4R$  away from the moon, as shown in the figure. Ignore the orbital motion of the moon about the planet.



a) Derive an expression for the difference in kinetic energies,  $\Delta K$ , between point **O** and the launch point in terms of relevant system parameters.

b) Derive an expression for the net force on the satellite at point **O** in terms of relevant system parameters.