

# Language Exploration



## FUNDAMENTALS OF FUNCTIONAL PROGRAMMING.

1. No assignment. (Just labels)
2. Computation is performed by "function composition"
  - little or no sequential execution.
  - Recursion over iteration.
3. Functions are "first class" entities:
  - can be passed as arguments to functions
  - can be returned as return values of functions.

$$s(h(g(f(x))))$$

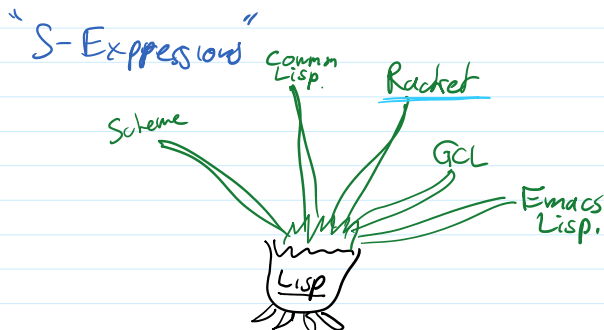
## LISP

- History 1960 by John McCarthy

He was working on a "Model of computation" inspired by Alonzo Church's "lambda Calculus"



$f(x)$        $f.x$   
 $\lambda.x$  ← anonymous function that takes one parameter  $x$



# • The Core of Lisp:

## Syntax

atom :- a sequence of letters or numbers or some symbols

e.g. foo apple 123 cat2 2cat  
the\_snake hello? a-b a+b

exceptions  
; # ' ↑

expressions - an atom

or

- a list of zero or more expressions.

- separated by spaces  
- enclosed in parenthesis.

e.g. foo (apple cat2) ()  
(a b c) (apple)  
(foo (bar) (apple 123))

Semantics: idea:

(a b c d) ↗ data.  
↘ function apply function a to arguments b c d

## • BASIC FORMS (pre-defined functions)

• (quote x) evaluates to x

e.g.

(quote a) → a

shorthand 'a → a

(quote (a b c)) → (a b c)

'(a b c) → (a b c)

• Special atoms

t - true

nil } false  
( ) }

• (atom x) evaluates to t if x is an atom  
nil otherwise.

e.g.  $(\text{atom } \text{apple}) \Rightarrow \otimes$  apple is undefined  
 $(\text{atom } ' \text{apple}) \Rightarrow t$   
 $(\text{atom } '(a b c)) \Rightarrow \text{nil}$   
 $(\text{atom } (a b c)) \Rightarrow \otimes$  a is undefined.  
 $(\text{atom } (\text{atom } 'a)) \Rightarrow (\text{atom } 't) \Rightarrow t$   
 $(\text{atom } (\underbrace{\text{atom } 'a}_{\text{data do not evaluate}})) \Rightarrow \text{nil}$

- $(\text{eq } x y)$  evaluates to  $t$  if both  $x$  and  $y$  are atoms and are the same atom, or both the empty list.  $\text{nil}$  otherwise.

e.g.  $(\text{eq } 'a 'a) \Rightarrow t$   
 $(\text{eq } 'a 'b) \Rightarrow \text{nil}$   
 $(\text{eq } 't (\text{atom } 'a)) \Rightarrow (\text{eq } 't 't) = t$

- $(\text{car } l)$  expects  $l$  to be a list and evaluates to the first element in list  $l$

e.g.  $(\text{car } '(a b c)) \Rightarrow a$   
 $(\text{car } '(\text{apple banana})) \Rightarrow \text{apple}$   
 $(\text{atom } (\text{car } '(a b c))) \Rightarrow (\text{atom } 'a) \Rightarrow t$

- $(\text{cdr } l)$  expects  $l$  to be a list and evaluates to the list after the first element of  $l$

$(\text{cdr } '(a b c)) \Rightarrow (b c)$   
 $(\text{cdr } '(a)) \Rightarrow ()$   
 $(\text{cdr } (\text{cdr } '(a b c))) \Rightarrow (\text{cdr } '(b c)) \Rightarrow (c)$

- $(\text{cons } x y)$  expects  $y$  to be a list, and evaluates to the list that consists of  $x$  followed by  $y$

$(\text{cons } 'a '(b c)) \Rightarrow (a b c)$   
 $(\text{cons } '(b c) '(d e)) \Rightarrow ((b c) d e)$

## • Conditional Form:

$(\text{cond } (p_1 e_1) (p_2 e_2) (p_3 e_3) \dots (p_n e_n))$

• the  $p$  expressions are evaluated in order until one evaluates to  $t$ , then the corresponding  $e$  expression is evaluated, and its result is the value of the whole **cond** expression.

• evaluates to **nil** if no  $p$  expression evaluates to  $t$ .

e.g.  $(\text{cond } (\overbrace{(\text{eq } 'a 'b)}^p) \overbrace{'first'}^e) (\text{atom } 'a) 'second) (\text{atom } 'b) 'third) \Rightarrow \text{second}$

## • Functional Forms

•  $(\text{lambda } (p_1 p_2 \dots p_n) e)$

an anonymous function with parameters  $p_1 \dots p_n$  and expression  $e$  as its body

e.g.  $(\text{lambda } (a b c) (\text{cons } a (\text{cons } b (\text{cons } c \text{ nil}))))$

•  $(\text{funcall } f (p_1 p_2 \dots p_n))$  expects  $f$  to be a function evaluates to  $f$  applied to arguments  $p_1 \dots p_n$

e.g.  $(\text{funcall } (\text{lambda } (a b c) (\text{cons } a (\text{cons } b (\text{cons } c \text{ nil})))) ('apple 'banana 'orange)) \Rightarrow (\text{apple } \text{banana } \text{orange})$

•  $(\text{defun } \text{foo } (p_1 p_2 \dots p_n) e)$  defines a named function **foo** with parameters  $p_1 \dots p_n$  and body  $e$ .

e.g.  $(\text{defun } \text{make-triple } (a b c) (\text{cons } a (\text{cons } b (\text{cons } c \text{ nil}))))$

(make-triple 'apple 'orange 'banana) => (apple orange banana)

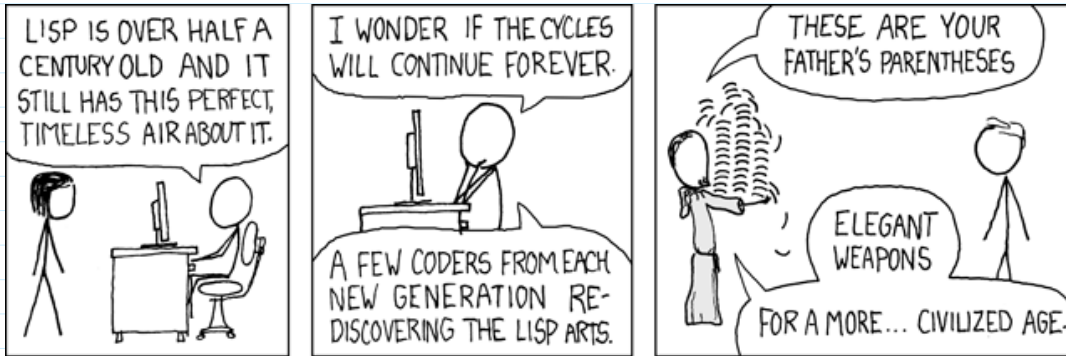
more example functions

```
(defun is-null? (x)
  (eq x nil))
```

```
(defun and (x y)
  (cond (x (cond (y t)
                 (t nil)))
        (t nil) ))
```

```
(defun append (l x)
  (cond (eq l '()) (cons x '())
        (t (cons (car l)
                  (append (cdr l) x))))))
```

$[h \cdot \overset{l}{\dots}] \times \Rightarrow [h \dots x]$   
 $h = \overset{cons.}{[\dots x]}$



Demo !!