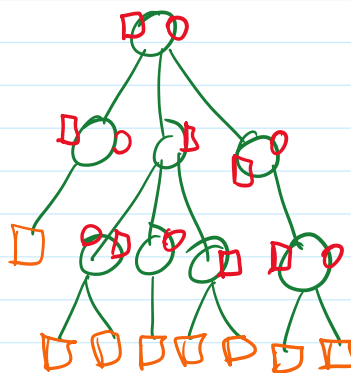


• Main idea:

What if we could attach semantic information to our parse tree.

extra information on the intermediate nodes.



• ATTRIBUTE GRAMMAR:

- expand parse tree with semantic info:
- D. Knuth and Wagner.

Idea:

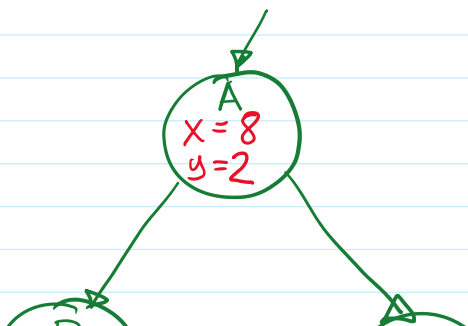
- attach to each node a collection of attributes.
- for each grammar symbol X a set of attributes $Att(X)$
- for each grammar rule R a collection of rules: attribute rules that assign values to attributes of symbols in R .

E.G. #1

Grammar rule: $A \rightarrow BC$ Attribute rules:

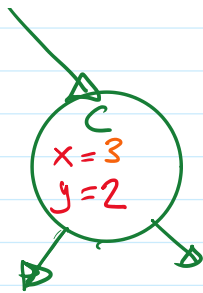
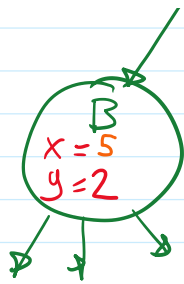
$$A \rightarrow BC$$

- $A.x \leftarrow B.x + C.x$
- $A.y \leftarrow 2$
- $B.y \leftarrow A.y$
- $C.y \leftarrow B.y$



Synthesized:
 $A.x \quad A.y$

Inherited:



Inherited:

B.y
C.y

• Types of attributes:

• "Synthesized" Attributes:

- value depends on the attribute values of a node's children.
- info flows from bottom to top of the tree.

• "Inherited" Attributes

- value depends on the values of attributes of node's siblings or parents
- info flows { from top to bottom } of the tree
- Sideways

E.G. #2

$A \rightarrow \underline{\text{var}} := E$

attributes: type exptype.

$E.\text{exptype} \leftarrow \text{var.type.}$

$E_0 \rightarrow E_1 + E_2$

$E_0.\text{type} \left\{ \begin{array}{l} \text{int if } E_1.\text{type} = \text{INT AND} \\ E_2.\text{type} = \text{INT} \\ \text{float otherwise.} \end{array} \right.$

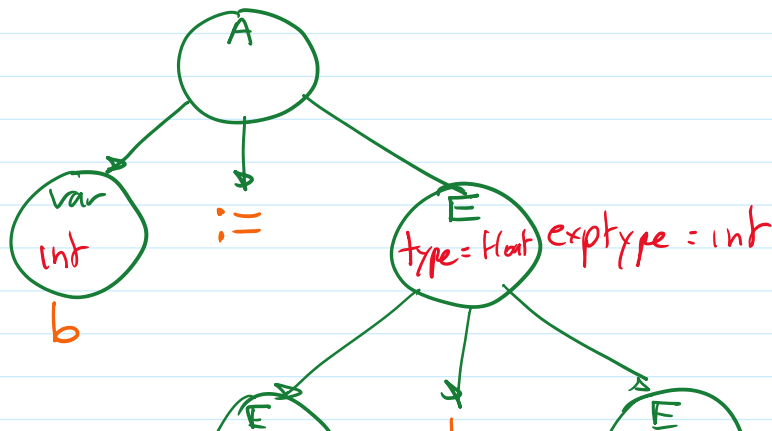
$E \rightarrow \underline{\text{var}}$

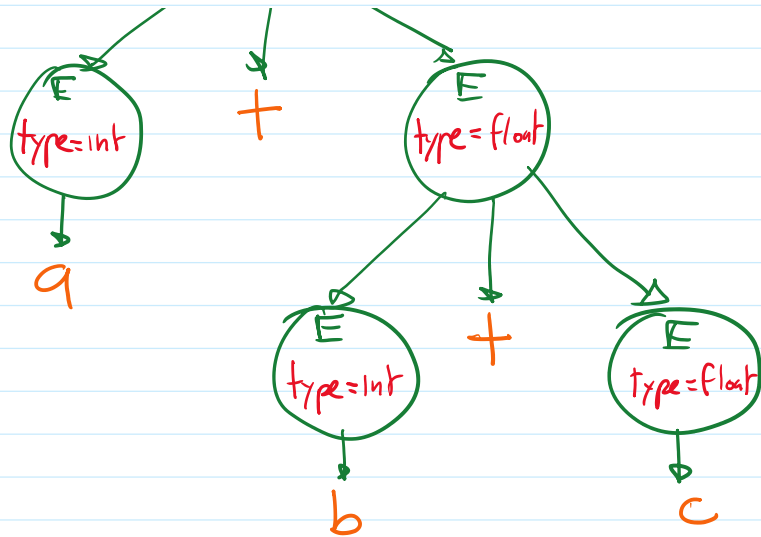
$E.\text{type} \leftarrow \text{var.type.}$

$b := a + b + c$

Symbol table

a	int
b	int
c	float



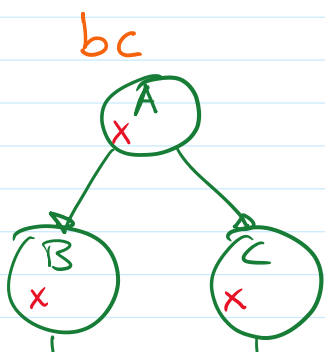


COMPUTING ATTRIBUTE VALUES:

- Synthesized Attributes.
 - traverse the tree bottom up.
- Inherited Attributes
 - traverse the tree top to Bottom
- Both kinds:
 - Multiple traversals bottom-up & top-down

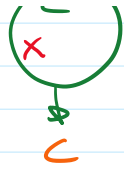
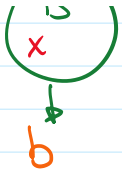
E.G : Degenerate attribute grammar:

$A \rightarrow BC$ $B \rightarrow b$ $C \rightarrow c$	<p>Attributes x</p> $A.x \leftarrow C.x$ $B.x \leftarrow A.x$ $C.x \leftarrow B.x$
--	---



Synthesized
 $A.x$

Inherited.
 $B.x$ $C.x$



↑ inverted.

B.x C.x

