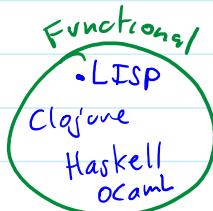
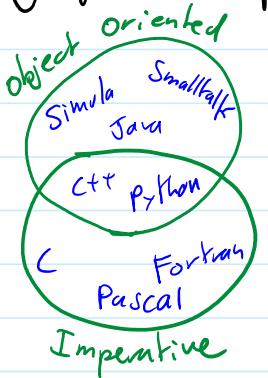


# Language Exploration : Lisp

Monday, April 21, 2025 12:22 PM

## Language Exploration



### • FUNCTIONAL PROGRAMMING

1 - No assignment. (Just Labels)

2 - Computation is performed by

"function Composition"

- No sequential execution
- No iteration, Recursion

$$h(f(g(x)))$$

3 - Functions are "first-class"

- can be passed as arguments to functions,
- can be return values from functions.

### • LISP

List Processor.

1960's by John McCarthy

While working in the "lambda calculus" of Alonzo Church,  
concept: Anonymous functions.

$f(x)$

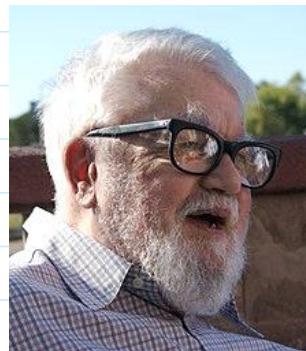
$\sin(y)$

$f.x$

$\sin.y$

$\lambda.x$

$\lambda.y$



- The CORE of LISP

### Syntax:

- atom - a sequence of letters, numbers or symbols (ex: ; # ' ` )

e.g. foo apple 123 cat2  
the\_snake is-even? a-b

- expressions - an atom

or

- a list of zero or more expressions separated by spaces enclosed in parenthesis.

e.g. foo (cat2 123) ()  
(a b c) (foo (bar) (apple 123))  
(apple)

### Semantics.

(a b c d) → data

function application  
apply function a to parameters b c d

e.g: (sin 4.57)  
(fib 7) (gcd 37 27)

- Basic Forms (built in functions)

- (quote x) evaluates to x

e.g

(quote a) ⇒ a  
'a ⇒ a

(quote (a b c)) ⇒ (a b c)  
'(a b c)

- Special atoms.

t - true

nil } false  
()

- $(\text{atom } x) \dashv t$  if  $x$  evaluates to an atom  
nil otherwise.

e.g.  $(\text{atom } \text{'apple}) \Rightarrow t$

$(\text{atom } \text{'(a b c)}) \Rightarrow \text{nil}$

$(\text{atom } (\text{a b c})) \otimes$  unknown function a

$(\text{atom } (\text{atom } \text{'a})) \Rightarrow (\text{atom } \text{'t}) \Rightarrow t$

$(\text{atom } \text{'(atom } \text{'a)}) \Rightarrow \text{nil}$

$(\text{atom } \text{'nil}) \Rightarrow t$

- $(\text{eq } x y) \dashv t$  if  $x$  and  $y$  evaluates to the same atom or both the empty list.

e.g.  $(\text{eq } \text{'a } \text{'a}) \Rightarrow t$

$(\text{eq } \text{'a } \text{'b}) \Rightarrow \text{nil} (= \text{'a } \text{'a})$

- $(\text{car } x)$  - expects  $x$  to be a list  
evaluates to the first element of  $x$

e.g.  $(\text{car } \text{'(a b c)}) \Rightarrow a$

$(\text{atom } (\text{car } ((\text{eq } \text{'a } \text{'b}) \text{ nil}))) \Rightarrow$

$(\text{atom } (\text{car } (\text{nil } \text{ nil}))) \Rightarrow$

$(\text{atom } \text{ nil}) \Rightarrow$

$t$

- $(\text{cdr } x)$  - expects  $x$  to be a list  
evaluates to the list of elements after the first element of  $x$

e.g.  $(\text{cdr } \text{'(a b c)}) \Rightarrow (\text{b c})$

$(\text{cdr } \text{'(a)}) \Rightarrow ()$

$(\text{cdr } (\text{cdr } \text{'(a b c)})) \Rightarrow (c)$

- $(\text{cons } x y)$  expects  $y$  to be a list  
evaluates to the list that consists of  $x$  followed by  $y$

$(\text{cons} \ 'a \ '(b \ c)) \Rightarrow (a \ b \ c)$   
 $(\text{cons} \ 'd \ \text{nil}) \Rightarrow (d)$

- Conditional Form:

$(\text{cond} \ (p_1 \ e_1) \ (p_2 \ e_2) \ (p_3 \ e_3) \ ... \ (p_n \ e_n))$

The  $p$  expressions are evaluated in order until one is  $t$ , then, the corresponding  $e$  expression is evaluated, the result is the value of the  $\text{cond}$  expression

If no  $p$  expression evaluates to  $t$ ,  $\text{cond}$  returns  $\text{nil}$

e.g.

$(\text{cond} \ ((\text{eq} \ 'a \ 'b) \ \text{'first}) \ ((\text{atom} \ 'a) \ \text{'second})) \Rightarrow \text{'second.}$

shorthand  $(\text{if } p \ e_1 \ e_2)$        $(\text{cond} \ (p \ e_1) \ (t \ e_2))$

- Functional Forms.

- $(\text{lambda} \ (a_1 \ a_2 \ a_3 \ .. \ a_n) \ e)$

an anonymous function with parameters  $a_1, a_2 .. a_n$  and expression  $e$  as its body

$(\text{lambda} \ (a \ b \ c) \ (\text{cons} \ a \ (\text{cons} \ b \ (\text{cons} \ c \ \text{nil}))))$

- $(\text{funcall} \ f \ (a_1 \ a_2 \ .. \ a_n))$  expects  $f$  to be a function  
applies  $f$  to parameters  $a_1 .. a_n$

e.g.  $(\text{funcall} \ (\text{lambda} \ (a \ b \ c) \ (\text{cons} \ a \ (\text{cons} \ b \ (\text{cons} \ c \ \text{nil})))) \ ('apple \ 'banana \ 'orange))$   
 $\Rightarrow (\text{apple} \ \text{banana} \ \text{orange})$

- $(\text{defun} \ \text{foo} \ (a_1 \ a_2 \ .. \ a_n) \ e)$

defines a named function with name  $\text{foo}$  and parameters  $a_1 .. a_n$  and body  $e$ .

and parameters  $a_1 \dots a_n$  and body  $e$ .

e.g.

(defun make-triple (a b c)

(cons a (cons b (cons c nil))))

(make-triple 'apple 'banana 'orange)  
⇒ (apple banana orange)

- (eval e) evaluates expression  $e$ .

- Special Atoms / Functions

numbers are understood as themselves.  
+ - \* / mod div.

(+ 5 3 7)

- Demo Functions

- ls-null?

- Fizz buzz

3, not 5	Fizz
5, not 3	Buzz
both	Fizzbuzz.

(+ 1 5 7)

(defun mysum. (L)  $\lambda{\dots}$ )

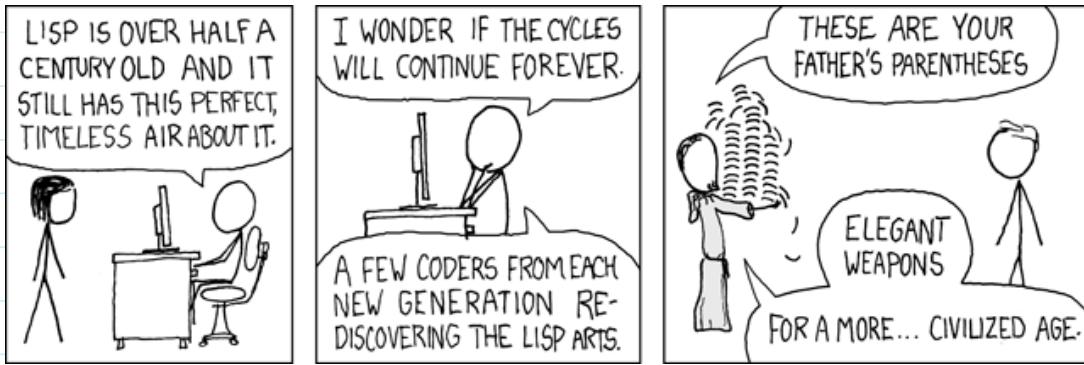
(defun mycount (x L)  $\lambda{\dots}$ )

L

() ⇒ nil

(x  $\lambda{\dots}$ ) ⇒ 1 + (mycount x cdr(L))

$$\begin{aligned}
 () &\Rightarrow \text{nil} \\
 (x \ \text{---}) &\Rightarrow 1 + (\text{mycount} \times \text{cdr}(L)) \\
 (y \ \text{---}) &\Rightarrow (\text{mycount} \times \text{cdl}(L))
 \end{aligned}$$



$$\begin{cases} \text{true} & \lambda.h \quad n/2 \\ h \text{ is even} \\ \text{False} & \lambda.h \quad n*3 + 1 \end{cases}$$

31 99 47 142 71 ..... 1

$$1 = (1)$$