Math 15, Exam 4, Apr 26, 2007

Instructions

Calculators may be used on this exam.
However, you must show your work in order to receive credit.

1. Be sure to print your name and your instructor's name in the space provided.
2. Work all problems. Show all work. Full credit will be given only if work is shown which fully justifies your answer.
3. There will be sufficient space under each problem in which to show your work.
4. If there is a box provided, the final answer must be placed in there according to the instructions. Otherwise, box your final answer. *All final answers must be simplified!*
5. This exam has 3 sheets of paper (front and back). Do not remove the staple! There are 100 points. Each problem is 10 points.
6. Turn off your cell phone if you have one with you.

Get ready for the exam

1. Some formulas will be supplied (see below). You are asked to remember other formulas and techniques from Chapters 7-12 and Math 14.
2. You should be able to do all of the following:
   a. Do calculus with hyperbolic functions.
   b. Use the midpoint, trapezoidal, and Simpson rules.
   c. Find the length of an arc and the surface area of rotating objects.
   d. Calculate force due to liquid pressure and find the centroid of a planar figure.
   e. Check whether a given function is a pdf, find the mean and related probabilities.
   f. Check whether certain functions are solutions of given differential equations.
   g. Solve problems of exponential growth or decay such as bacteria growth, radioactive decay, Newton's law of cooling, and continuously compounded interest.
   h. Sketch curves given in parametric form.
   i. Do calculus with parametric curves.

$$S_n = \frac{\Delta x}{3}\left[f(x_0) + 4f(x_1) + 2f(x_2) + 4f(x_3) + \cdots + 2f(x_{n-2}) + 4f(x_{n-1}) + f(x_n)\right]$$

$$T_n = \frac{\Delta x}{2}\left[f(x_0) + 2f(x_1) + 2f(x_2) + \cdots + 2f(x_{n-1}) + f(x_n)\right]$$

$$M_y = \rho \int_a^b x[f(x) - g(x)]dx \qquad M_x = \rho \int_a^b \frac{1}{2}\left[(f(x))^2 - (g(x))^2\right] dx$$

$$\bar{x} = \frac{M_y}{m} \qquad \bar{y} = \frac{M_x}{m} \qquad m = \rho A$$

$$L = \int_a^b \sqrt{1 + \left(\frac{dy}{dx}\right)^2}\, dx \qquad L = \int_c^d \sqrt{1 + \left(\frac{dx}{dy}\right)^2}\, dy$$